# New Methods for Discovering Light Fields

Peter Graham Stanford

# Motivation

Want to discover new physics beyond the SM

Getting hard to probe higher energies, need bigger colliders

But UV physics can give light particles, detectable in low energy experiments, hints of deep UV

possible candidates include...

# Outline

1. Axion Detection with NMR

2. Hidden Sector Detection with EM Resonators

3. Gravitational Wave Detection with Atoms

# Outline

1. Axion Detection with NMR spin 0

2. Hidden Sector Detection with EM Resonators spin 1

3. Gravitational Wave Detection with Atoms spin 2

# Outline

1. Axion Detection with NMR spin 0

2. Hidden Sector Detection with EM Resonators spin 1

3. Gravitational Wave Detection with Atoms

all high phase space density better thought of as fields

spin 2

## Axion Detection with NMR

with

Dmitry Budker Micah Ledbetter Surjeet Rajendran Alex Sushkov

PRX 4 (2014) arXiv: 1306.6089

PRD 88 (2013) arXiv: 1306.6088

PRD 84 (2011) arXiv: 1101.2691

### Dark Matter

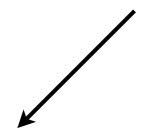
Dark matter is proof of physics beyond Standard Model

heavy particle vs. light field (WIMPs) (axions)

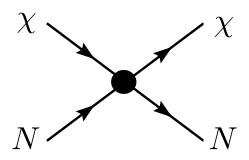
### Dark Matter

Dark matter is proof of physics beyond Standard Model

heavy particle vs. light field (WIMPs) (axions)



Search for single, hard particle scattering



### Dark Matter

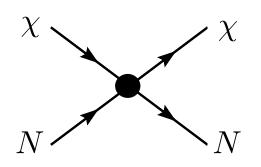
Dark matter is proof of physics beyond Standard Model

heavy particle vs. light field (WIMPs) (axions)



Search for single, hard particle scattering

Large phase-space density

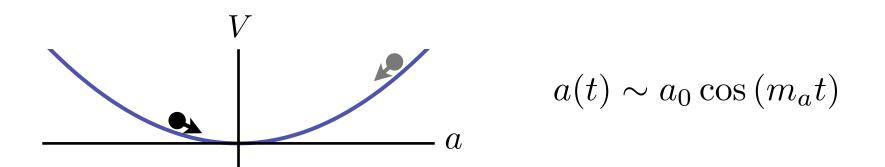


Described as classical field a(t,x)

Detect coherent effects of entire field, not single particle scatterings

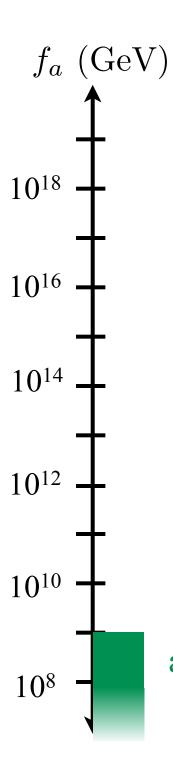
## Axion Dark Matter

All light fields produced by misalignment:



#### Axion is a natural dark matter candidate

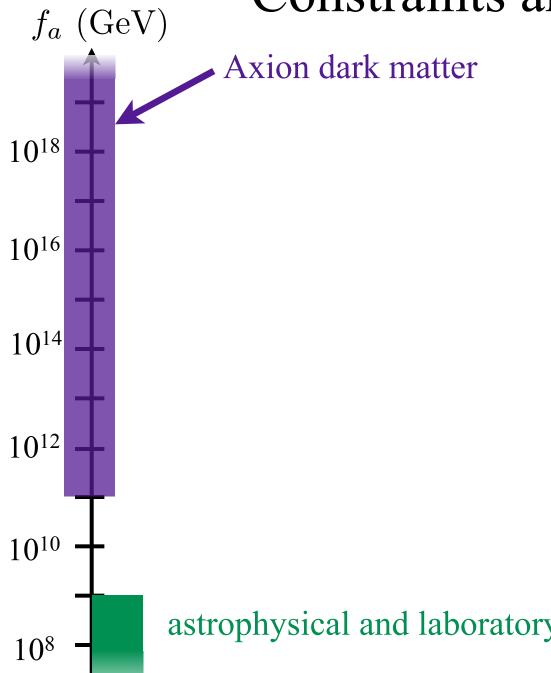
Preskill, Wise & Wilczek, Abott & Sikivie, Dine & Fischler (1983)



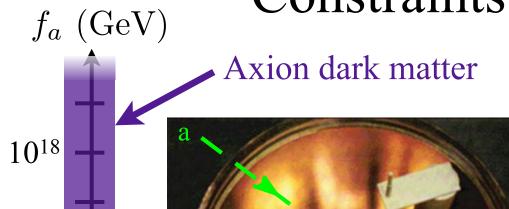
$$\mathcal{L} \supset \frac{a}{f_a} F \widetilde{F} = \frac{a}{f_a} \vec{E} \cdot \vec{B}$$

astrophysical and laboratory bounds

$$\mathcal{L} \supset \frac{a}{f_a} F \widetilde{F} = \frac{a}{f_a} \vec{E} \cdot \vec{B}$$



astrophysical and laboratory bounds



 $10^{16}$ 

 $10^{14}$ 

 $10^{12}$ 

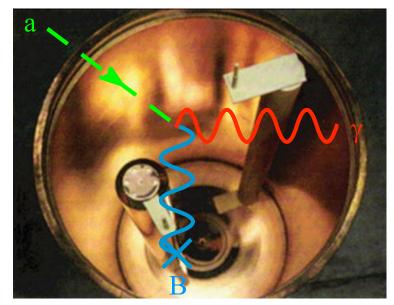
 $10^{10}$ 

 $10^{8}$ 

$$\mathcal{L} \supset \frac{a}{f_a} F \widetilde{F} = \frac{a}{f_a} \vec{E} \cdot \vec{B}$$

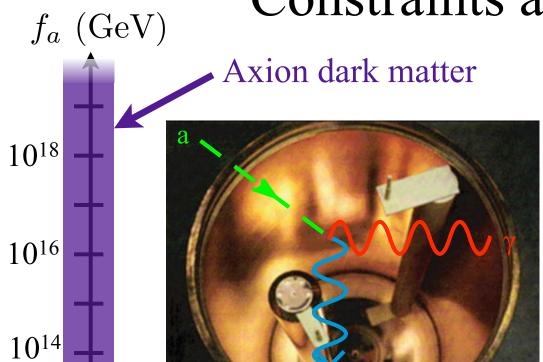
size of cavity increases with  $f_a$ 

signal 
$$\propto \frac{1}{f_a^3}$$



astrophysical and laboratory bounds

microwave cavity (ADMX)



 $10^{12}$ 

 $10^{10}$ 

 $10^{8}$ 

$$\mathcal{L} \supset \frac{a}{f_a} F \widetilde{F} = \frac{a}{f_a} \vec{E} \cdot \vec{B}$$

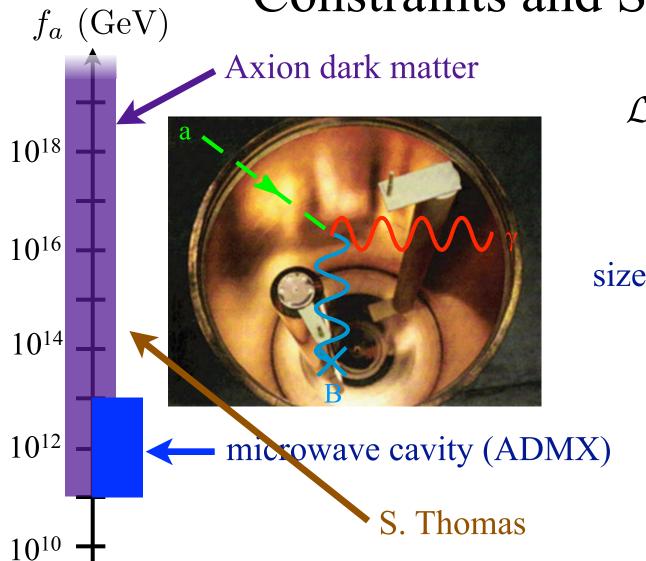
**Derivative Operator** 

size of cavity increases with  $f_a$ 

signal 
$$\propto \frac{1}{f_a^3}$$

microwave cavity (ADMX)

astrophysical and laboratory bounds



 $10^{8}$ 

$$\mathcal{L} \supset \frac{a}{f_a} F \widetilde{F} = \frac{a}{f_a} \vec{E} \cdot \vec{B}$$

**Derivative Operator** 

size of cavity increases with  $f_a$ 

signal 
$$\propto \frac{1}{f_a^3}$$

astrophysical and laboratory bounds

New ways to search for light (high  $f_a$ ) axions?

# A Different Operator For Axion Detection

How to detect high  $f_a$  axions?

Strong CP problem:  $\mathcal{L} \supset \theta G\widetilde{G}$  creates nucleon EDM  $d \sim 3 \times 10^{-16} \theta e \, \mathrm{cm}$ 

axion:  $\mathcal{L} \supset \frac{a}{f_a} G\widetilde{G}$  creates nucleon EDM  $d \sim 3 \times 10^{-16} \frac{a}{f_a} e \,\mathrm{cm}$ 

# A Different Operator For Axion Detection

How to detect high  $f_a$  axions?

Strong CP problem:  $\mathcal{L} \supset \theta G\widetilde{G}$  creates nucleon EDM  $d \sim 3 \times 10^{-16} \theta e \, \mathrm{cm}$ 

axion: 
$$\mathcal{L} \supset \frac{a}{f_a} G \widetilde{G}$$
 creates nucleon EDM  $d \sim 3 \times 10^{-16} \, \frac{a}{f_a} \, e \, \mathrm{cm}$ 

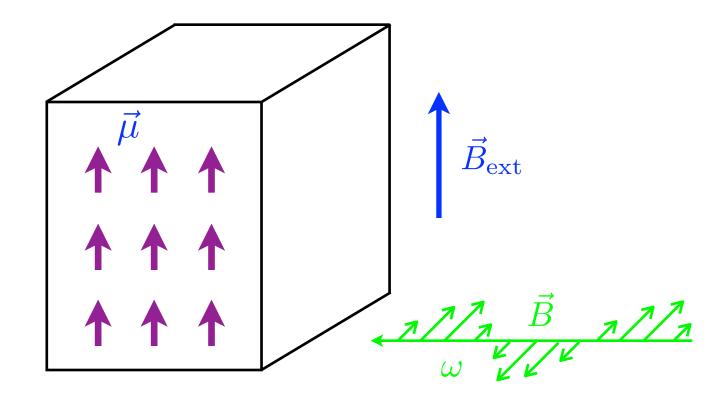
$$a(t) \sim a_0 \cos{(m_a t)}$$
 with  $m_a \sim \frac{(200 \text{ MeV})^2}{f_a} \sim \text{MHz} \left(\frac{10^{16} \text{ GeV}}{f_a}\right)$ 

axion dark matter 
$$\rho_{\rm DM} \sim m_a^2 a^2 \sim (200 {\rm MeV})^4 \left(\frac{a}{f_a}\right)^2 \sim 0.3 \, \frac{{\rm GeV}}{{\rm cm}^3}$$

so today: 
$$\left(\frac{a}{f_a}\right) \sim 3 \times 10^{-19}$$
 independent of  $f_a$ 

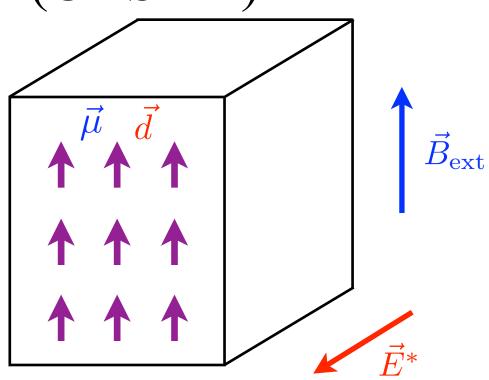
axion gives all nucleons an oscillating EDM independent of  $f_a$ , non-derivative operator

## Axions with NMR



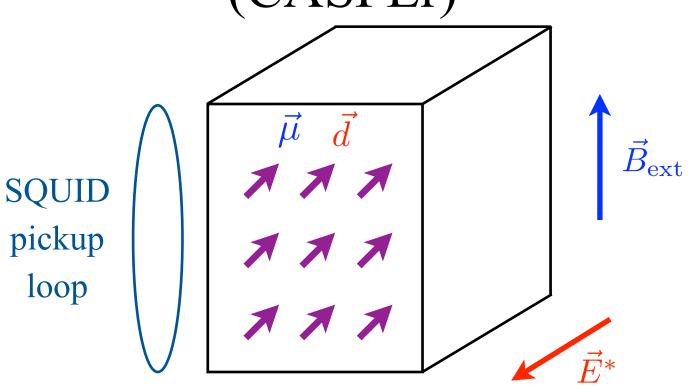
NMR resonant spin flip when Larmor frequency  $2\mu B_{\rm ext} = \omega$ 

# Cosmic Axion Spin Precession Experiment (CASPEr)



Larmor frequency = axion mass → resonant enhancement

# Cosmic Axion Spin Precession Experiment (CASPEr)

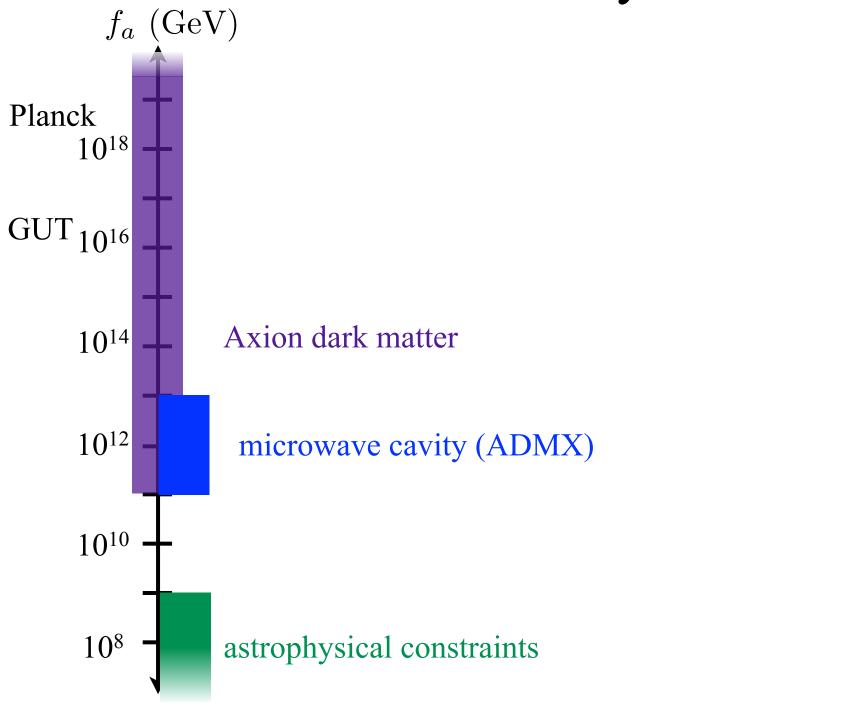


Larmor frequency = axion mass → resonant enhancement

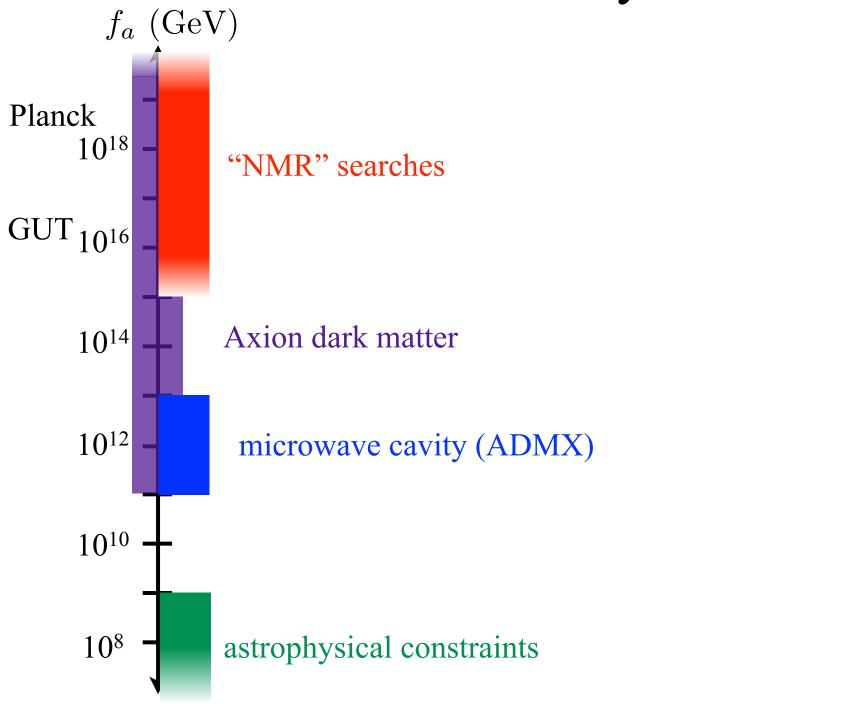
SQUID measures resulting transverse magnetization

ferroelectric (e.g. PbTiO<sub>3</sub>), NMR pulse sequences (spin-echo,...),... quantum spin projection (magnetization) noise small enough

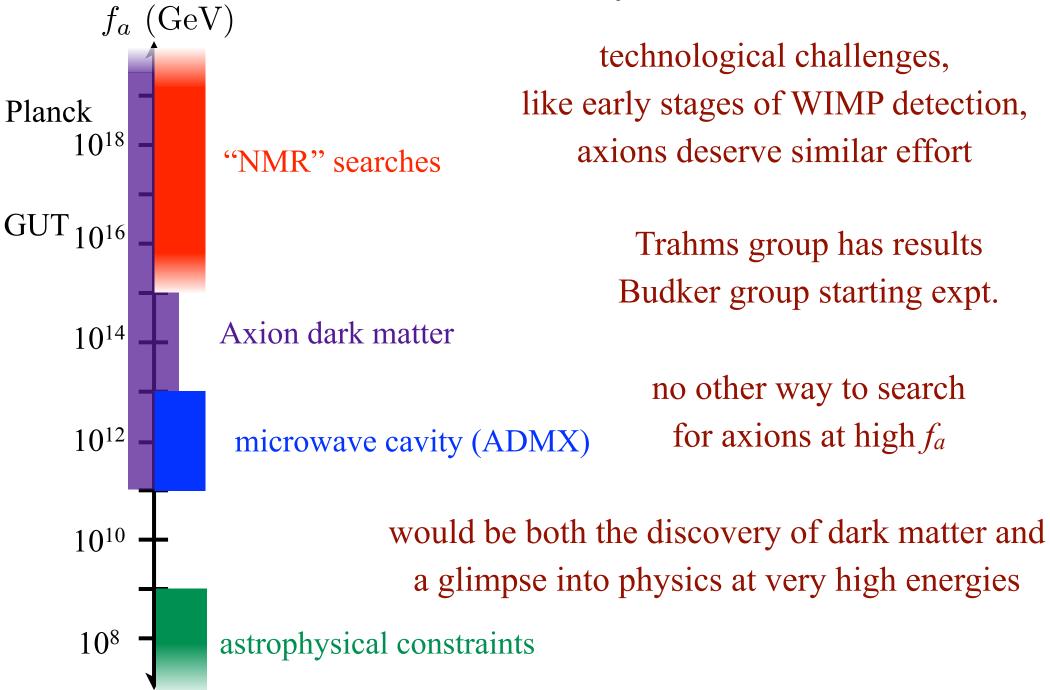
# CASPEr Discovery Potential



# CASPEr Discovery Potential



# CASPEr Discovery Potential



# Hidden Sector Detection with EM Resonators

(to appear)

with

Kent Irwin
Saptarshi Chaudhuri
Jeremy Mardon
Surjeet Rajendran
Yue Zhao

## Hidden Photon Motivation

Many theories/vacua have additional, decoupled sectors, new U(1)'s

Natural coupling (dim. 4 operator):  $\mathcal{L} \supset \varepsilon F F'$ 

## Hidden Photon Motivation

Many theories/vacua have additional, decoupled sectors, new U(1)'s

Natural coupling (dim. 4 operator):  $\mathcal{L} \supset \varepsilon F F'$ 

mass basis:

$$\mathcal{L} = -\frac{1}{4} \left( F_{\mu\nu} F^{\mu\nu} + F'_{\mu\nu} F'^{\mu\nu} \right) + \frac{1}{2} m_{\gamma'}^2 A'_{\mu} A'^{\mu} - e J^{\mu}_{EM} \left( A_{\mu} + \varepsilon A'_{\mu} \right)$$

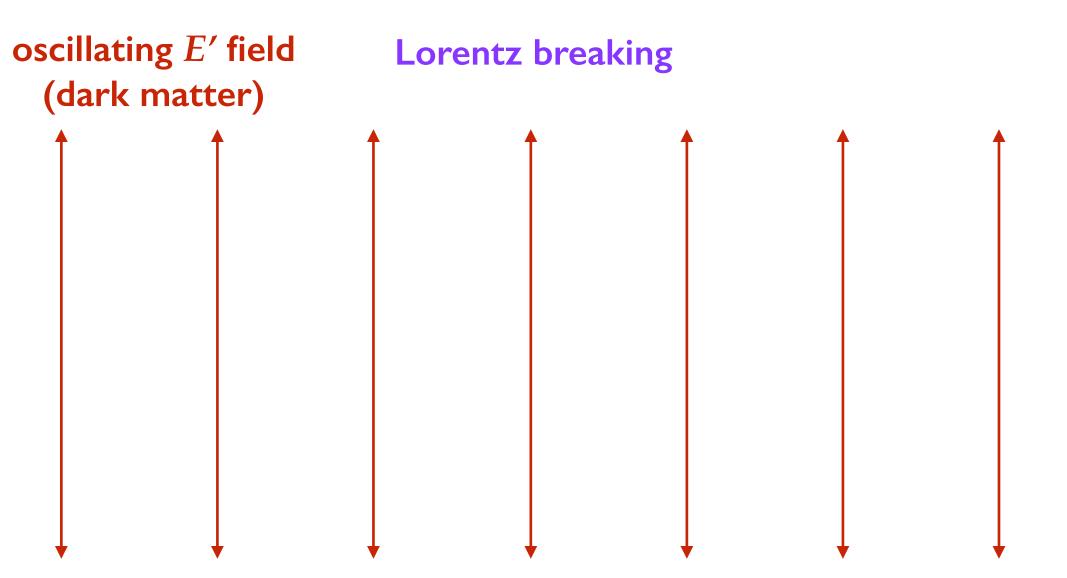
photon with small mass and suppressed couplings to all charged particles

longitudinal mode gives new phenomena

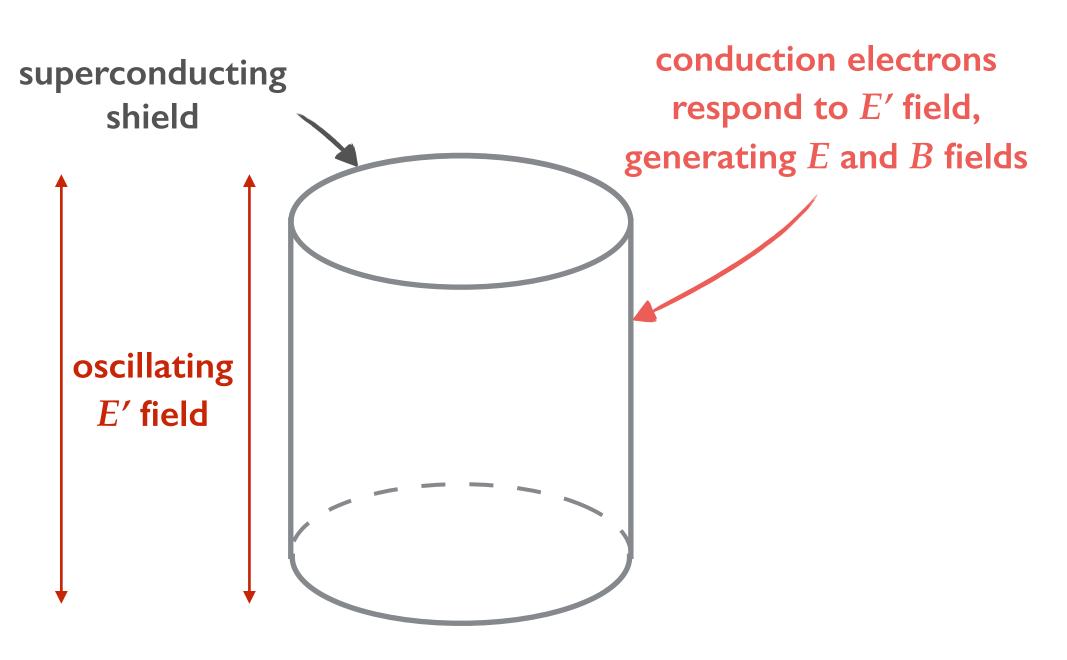
Will be misalignment produced (like axion) → natural dark matter

inflationary fluctuations  $H_I \sim 10^{14}~{\rm GeV} \ \rightarrow \ m_{\gamma'} \sim 10^{-6} {\rm eV} \sim 100~{\rm MHz}$ 

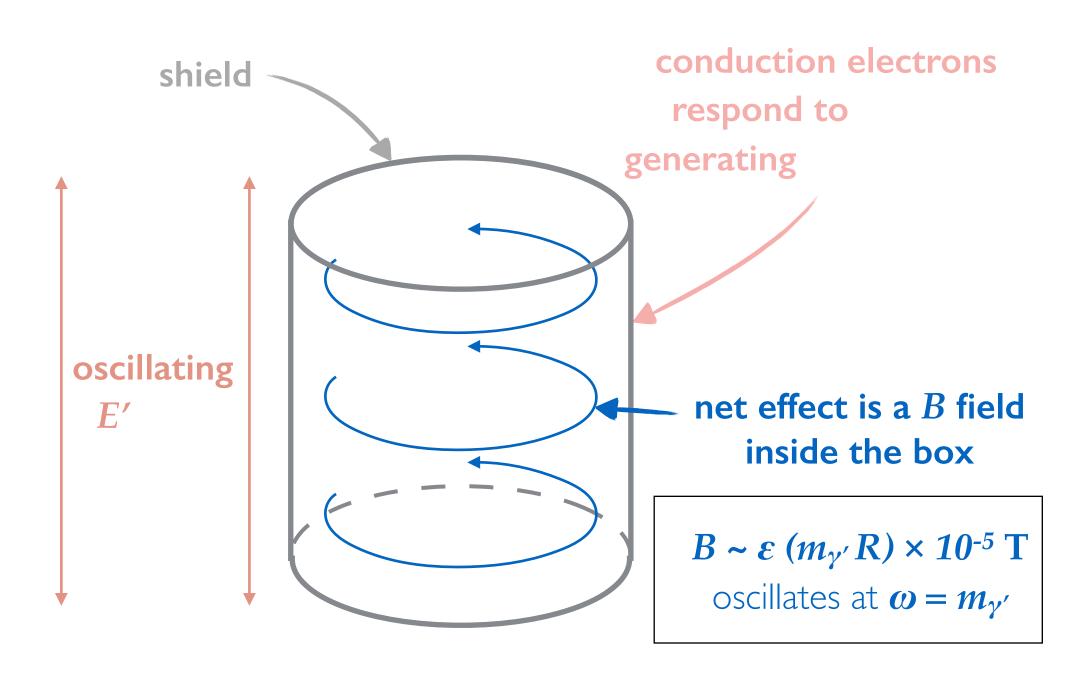
## Hidden Photon Dark Matter



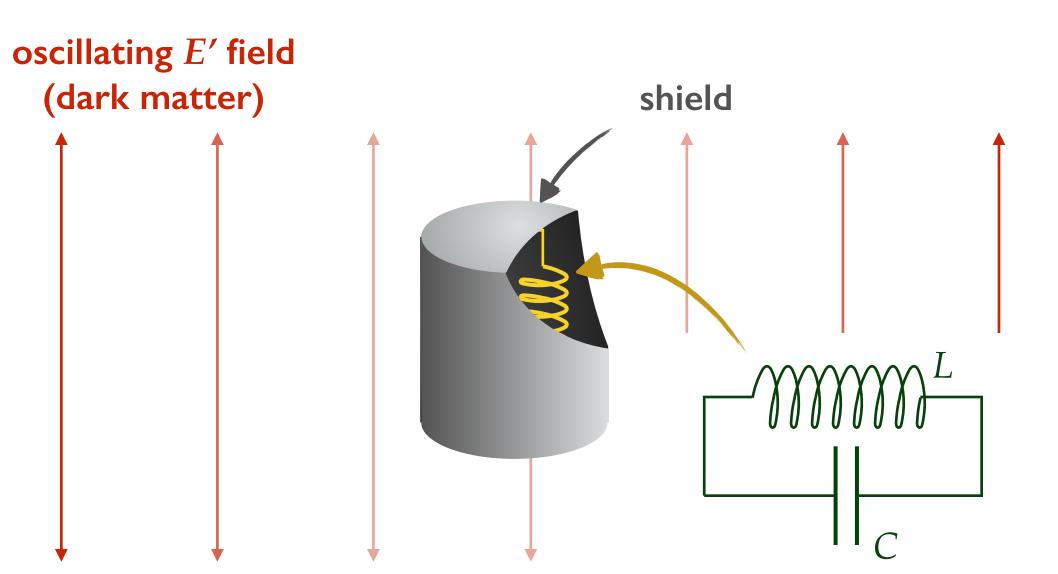
# Experimental Setup



# Signal Inside Shielding



# Experimental Setup



Tunable resonant LC circuit Reach  $\, \varepsilon \sim 10^{-17} \,$  (a radio)

# Gravitational Wave Detection with Atom Interferometry

with

Savas Dimopoulos
Jason Hogan
Mark Kasevich
Surjeet Rajendran

PRL 110 (2013) arXiv: 1206.0818

PLB **678** (2009) arXiv: 0712.1250

PRD 78 (2008) arXiv: 0806.2125

## Gravitational Wave Motivation

Gravitational waves open a new window to the universe

Sourced by mass, not charge

- unique astrophysical information (WD's, NS's, BH's)
- probe near horizon geometry of BH

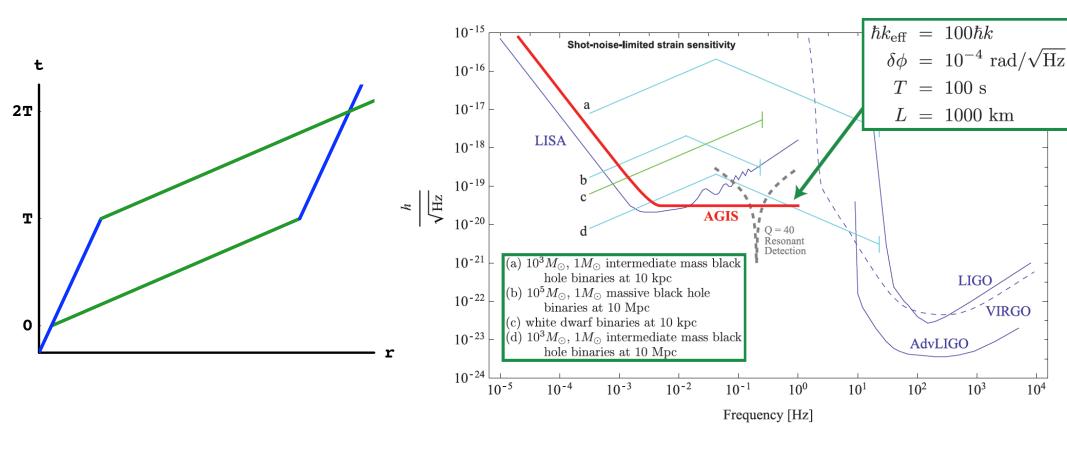
Directly observe universe before last scattering

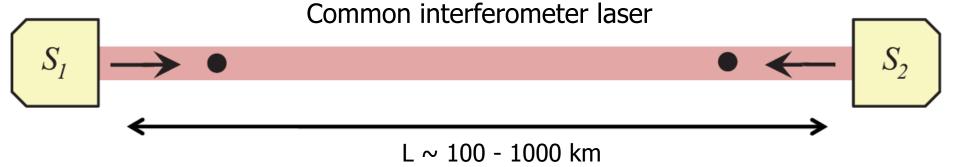
- gravitational waves from inflation

Every new band opened has revealed unexpected discoveries

### Atomic Gravitational Wave Interferometric Sensor (AGIS)

Atom in accelerometer sequence, GW modulates interferometer phase





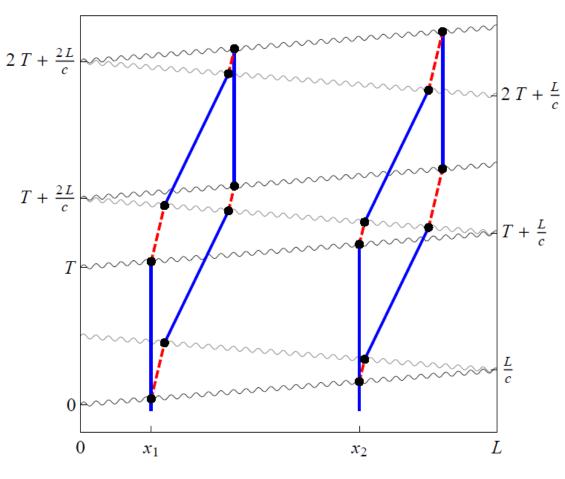
## Laser Phase Noise

cancel laser noise using multiple baselines

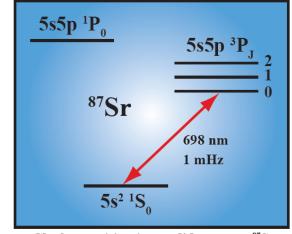


#### Laser Phase Noise Insensitive Detector

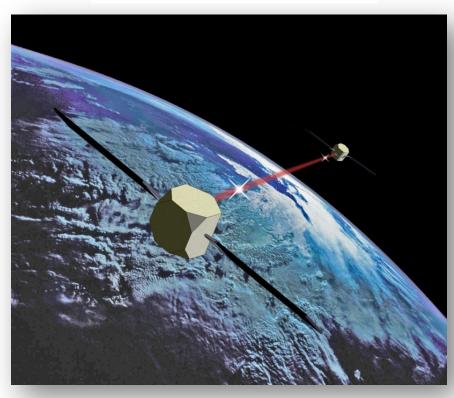
atoms act as clocks, measure light travel time



Graham, et al., PRL 110 (2013)



Clock transition in candidate atom 87Sr

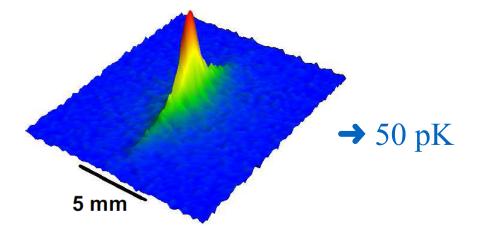


Removes laser noise, allows single baseline detection

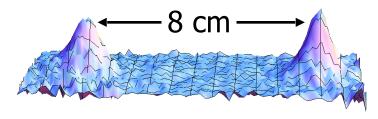
## Recent Experimental Results

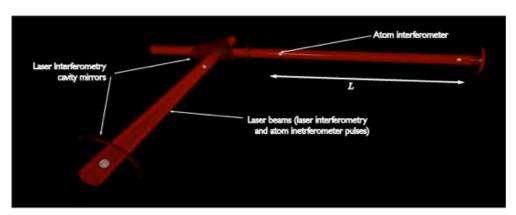
#### Stanford Test Facility





#### Macroscopic splitting of atomic wavefunction:



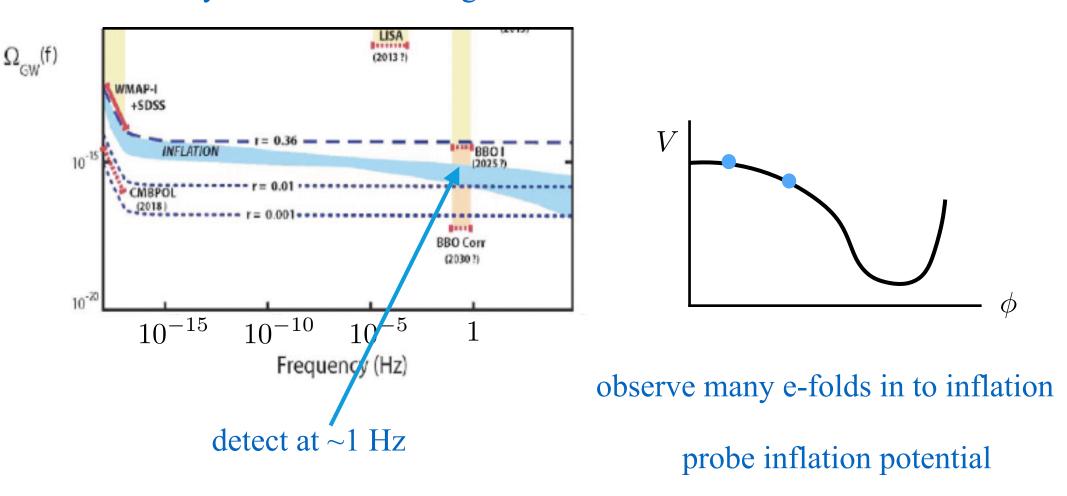


MIGA; ~1 km baseline (P. Bouyer, France)

#### Resonant Detection and Inflation

(Preliminary!)

Atomic detector can run in resonant mode, may be able to reach highest level of GW's from inflation



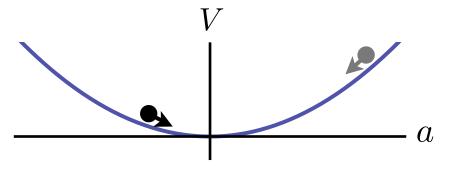
Gravitational waves will be major part of future of astronomy, astrophysics and cosmology

## Backup slides

### Cosmic Axions

#### misalignment production:

in early universe axion is a constant field, mass turns on at  $T \sim \Lambda_{QCD}$  then axion oscillates



$$a(t) \sim a_0 \cos{(m_a t)}$$

Preskill, Wise & Wilczek, Abott & Sikivie, Dine & Fischler (1983)

axion easily produces correct abundance  $\rho = \rho_{\rm DM}$ 

requires 
$$\left(\frac{a_i}{f_a}\right)\sqrt{\frac{f_a}{M_{\rm Pl}}}\sim 10^{-3.5}$$
 late time entropy production eases this

e.g. 
$$\frac{f_a}{M_{\rm Pl}} \sim 10^{-7}$$
  $\frac{a_i}{f_a} \sim 1$  or  $\frac{f_a}{M_{\rm Pl}} \sim 10^{-3}$   $\frac{a_i}{f_a} \sim 10^{-2}$ 

inflationary cosmology does not prefer flat prior in  $\theta_i$  over flat in  $f_a$  all  $f_a$  in DM range (all axion masses  $\approx$  meV) equally reasonable

#### Axions and the CMB

Assuming BICEP detected gravitational waves in the CMB (some tension with Planck):

if symmetry broken after inflation  $\rightarrow$  topological defects (strings + domain walls), constrained by observations

if symmetry broken before inflation  $\rightarrow$  inflation can induce isocurvature perturbations of axion, constraints most relevant for QCD axion, weak constraint on ALPs probed by CASPEr

but this requires knowing physics all the way up to GUT scale  $\sim 10^{16}~{
m GeV}$ 

constrains **one** cosmological history, **many** others possible (including for QCD axion)

e.g. thermal monopole density, Fischler & Preskill (1983) high temperature mass, and many others e.g. Kaplan & Zurek (2005), Jeong & Takahashi (2013), G. Dvali (1995)

QCD axion offers unique probe of high energy cosmology, an era difficult even for gravitational wave detectors

#### Axions and the CMB

Assuming BICEP detected gravitational waves in the CMB (some tension with Planck):

if symmetry broken after inflation  $\rightarrow$  topological defects (strings + domain walls), constrained by observations

if symmetry broken before inflation → inflation can induce isocurvature perturbations of axion, constraints most relevant for QCD axion, weak constraint on ALPs probed by CASPEr

but this requires knowing physics all the way up to GUT scale  $\sim 10^{16}~{\rm GeV}$ 

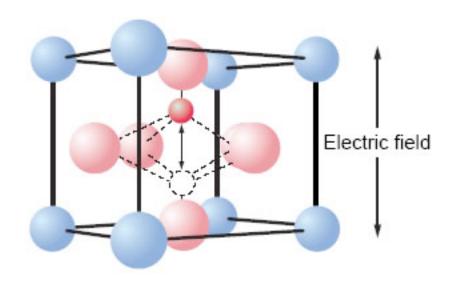
constrains **one** cosmological history, **many** others possible (including for QCD axion)

e.g. thermal monopole density, Fischler & Preskill (1983) high temperature mass, and many others e.g. Kaplan & Zurek (2005), Jeong & Takahashi (2013), G. Dvali (1995)

QCD axion offers unique probe of high energy cosmology, an era difficult even for gravitational wave detectors

#### Ferroelectric

below critical temperature some materials have ferroelectric phase transition



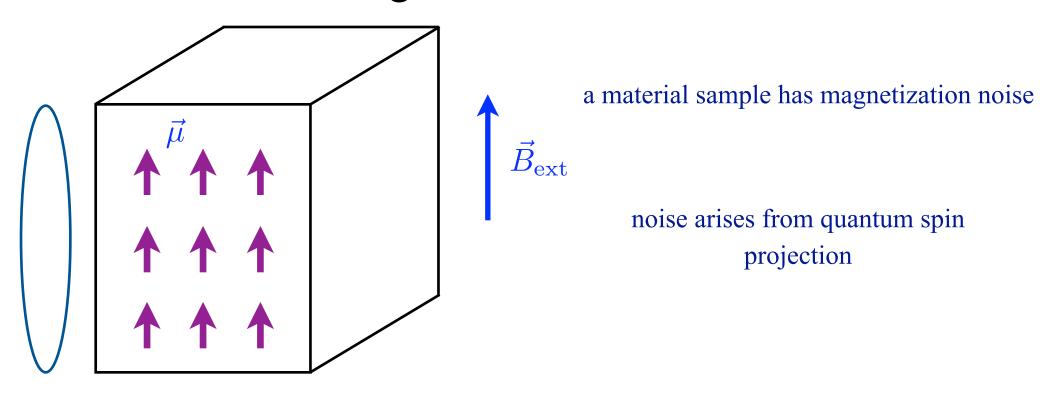
ferroelectrics (e.g. PbTiO<sub>3</sub>) have large effective internal electric fields:

$$E^* = 3 \times 10^8 \frac{\text{V}}{\text{cm}}$$

We don't need to flip directions dynamically, so any polar crystal should work

may allow enhancement in E\* by  $\sim \times \text{ few}$ 

#### Magnetization Noise



every spin necessarily has random quantum projection onto transverse direction

$$M_n(\omega) \sim \frac{\mu_N}{r^3} \sqrt{nr^3} \langle S(\omega) \rangle \sim \mu_N \sqrt{\frac{n}{V}} \langle S(\omega) \rangle$$

 $S\left(\omega\right)$  is Lorentzian, peaked at Larmor frequency, bandwidth  $\sim 1/T_2$ 

T. Sleator, E. L. Hahn, C. Hilbert, and J. Clarke, PRL 55, 171742 (1985)

# Cosmic Axion Spin Precession Experiment (CASPEr)

$$M(t) \approx n\mu\epsilon_S d_n E^* p \frac{\sin((2\mu B_{\rm ext} - m_a)t)}{2\mu B_{\rm ext} - m_a} \sin(2\mu B_{\rm ext}t)$$

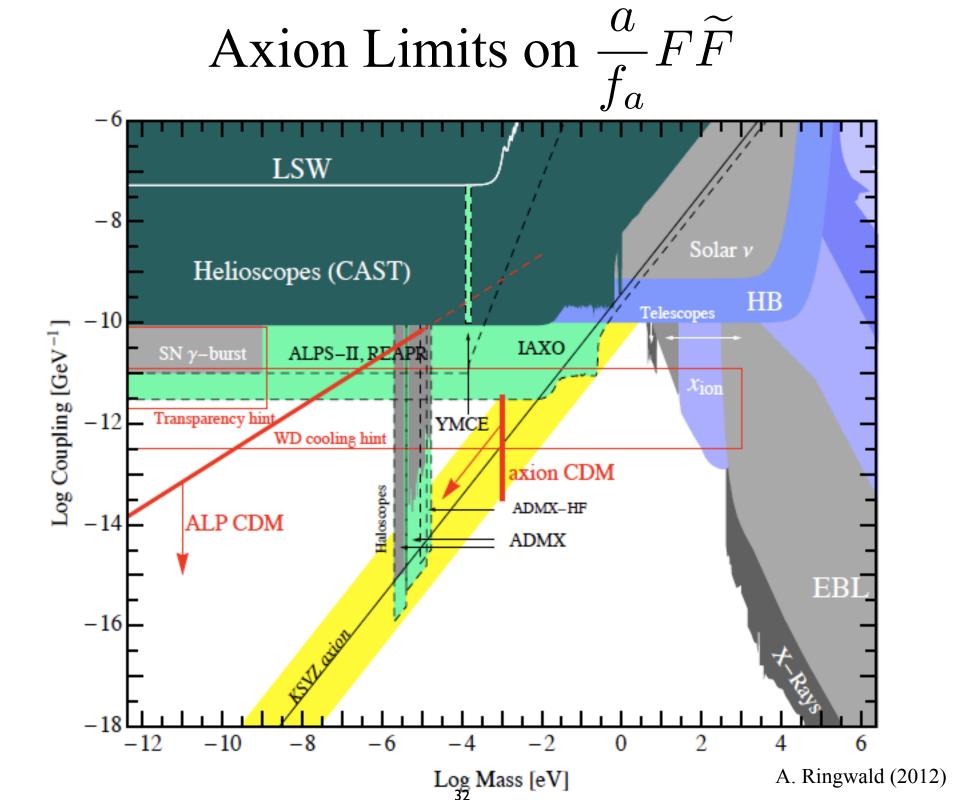
	n	$E^*$	p	$T_2$	$\boxed{\text{Max. } B_{\text{ext}}}$
Phase 1		$3 \times 10^8 \frac{V}{}$	$10^{-3}$	1  ms	10 T
Phase 2	$cm^3$	$\frac{3 \times 10}{\text{cm}}$	1	1 s	20 T

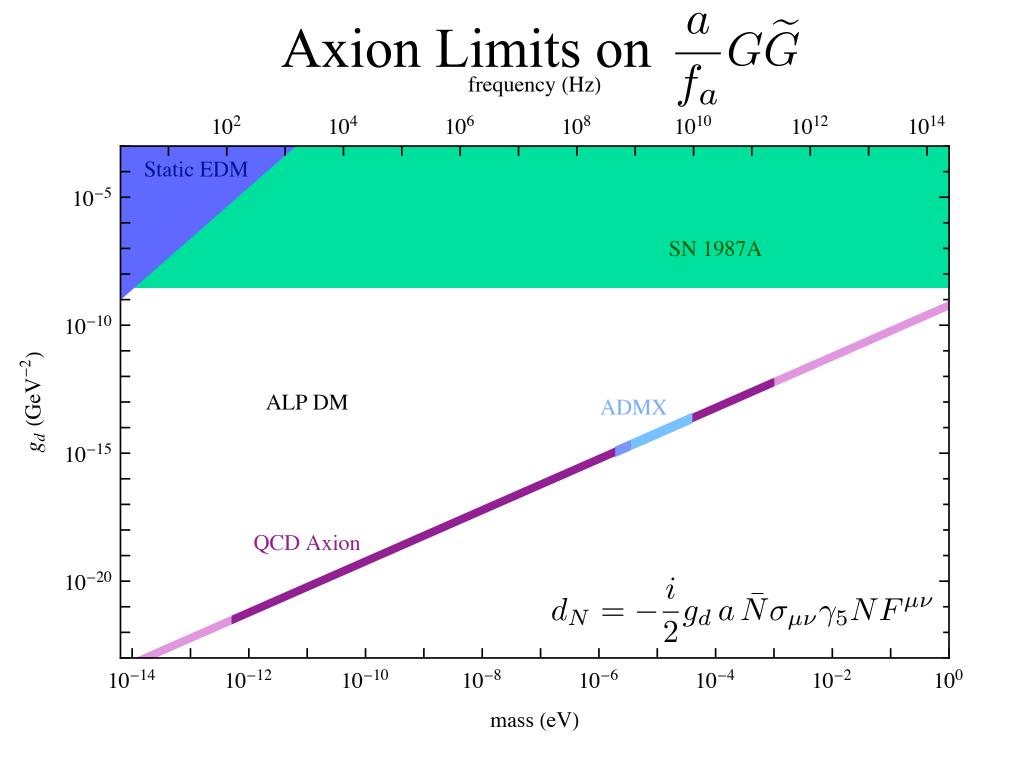
example material: 
$$^{207}\text{Pb} \implies \mu = 0.6\mu_N \qquad \epsilon_s \approx 10^{-2}$$

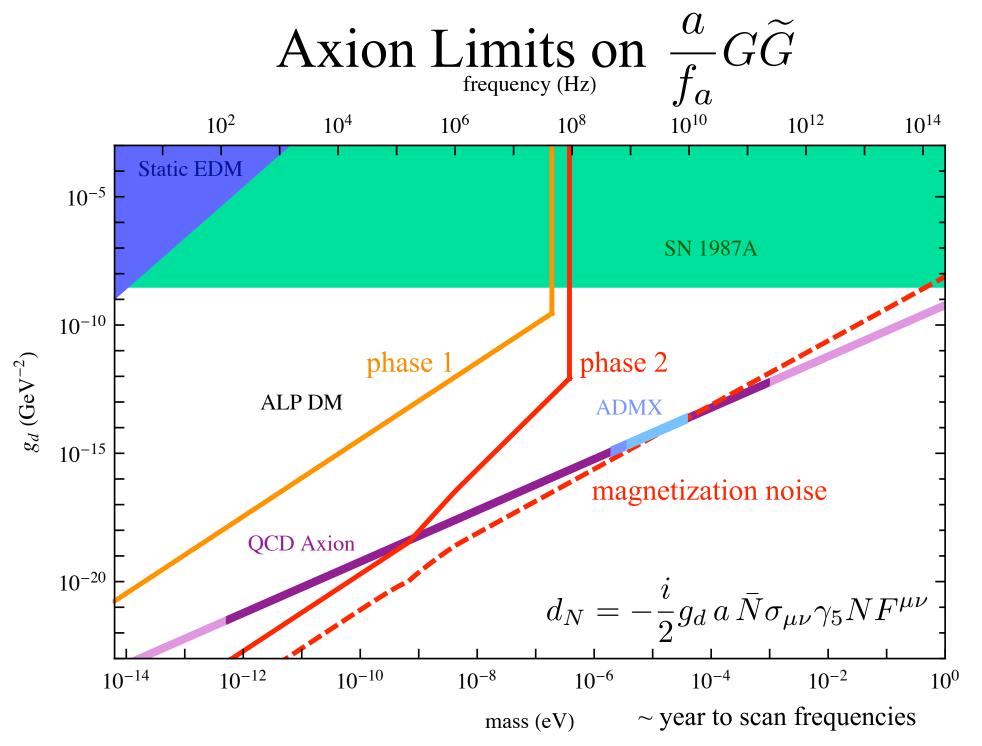
take sample size:  $L \sim 10 \text{ cm} \rightarrow \text{we take SQUID magnetometer: } 10^{-16} \frac{T}{\sqrt{\text{Hz}}}$  (or multiple loops over smaller sample)

but atomic magnetometers 
$$\sim 10^{-17} \frac{T}{\sqrt{Hz}}$$

M.V. Romalis







Verify signal with spatial coherence of axion field

#### Materials for Oscillating EDM Search

- **PbTiO<sub>3</sub>** → we have a lot of experience: NMR,  $T_1$  and  $T_2$  measurements [L.Bouchard, A.Sushkov, D.Budker, 2008]
- Many other **non-centrosymmetric solids** with high-Z atoms, eg: (Pb,La)  $(Zr,Ti)O_3$ ,  $(1-x)[Pb(Mg_{1/3}Nb_{2/3})O_3]-x[PbTiO_3]$  (PMN-PT), PbSiO<sub>3</sub>, etc. Some (eg: PLZT) have been used for optical studies, possible nuclear spin polarization with optical pumping?
- Liquid Xe in polar cages → R&D needed, upcoming slides